## P15H - August 27, 2018

Item \# P15H was discontinued on August 27, 2018. For informational purposes, this is a copy of the website content at that time and is valid only for the stated product.

## PRECISION PINHOLES AND PINHOLE WHEEL



Hide Overview
O V ERV I E W
Features

- Mounted Precision Pinholes from $\varnothing 1 \mu \mathrm{~m}$ to $\varnothing 1 \mathrm{~mm}$
. Mounted High-Power Pinholes from $\varnothing 10 \mu \mathrm{~m}$ to $\varnothing 50 \mu \mathrm{~m}$
- Chrome-Plated Fused Silica Pinhole Wheel with 16 Pinholes from $\varnothing 25 \mu \mathrm{~m}$ to $\varnothing 2 \mathrm{~mm}$
Single Precision Pinholes
Single mounted precision pinholes are available with pinhole diameters from $1 \mu \mathrm{~m}$ to 1 mm . We also offer high-power versions with pinhole diameters from $10 \mu \mathrm{~m}$ to $50 \mu \mathrm{~mm}$. For many applications,
such as holography, spatial intensity variations in the laser beam are unacceptable. Using precision pinholes in conjunction with positioning and focusing equipment such as our KT310(/M) Spatial
Filter System creates a "noise" filter, effectively stripping variations in intensity out of a Gaussian beam. Please see the Tutorial tab for more information on spatial filters.
If you do not see what you need in our stocked offerings below, it is possible to special order pinholes that are fabricated from different substrate materials, have different pinhole sizes, incorporate
multiple holes in one foil, or provide different pinhole configurations. Customized pinhole housings are also available. Please contact Tech Support to discuss your specific needs.
Pinhole Wheels
In addition to single pinholes, Thorlabs offers pinhole wheels that contain 16 radially-spaced pinholes that are lithographically etched onto a chrome-plated fused silica substrate. These wheels
allow the user to test multiple pinhole sizes within a setup. The 16 pinholes range in size from $\varnothing 25 \mu \mathrm{~m}$ to $\varnothing 2 \mathrm{~mm}$ and both sides of the wheel are AR coated for $350-700 \mathrm{~nm}$.

Hide Tutorial
TUTORIAL
Principles of Spatial Filters
For many applications, such as holography, spatial intensity variations in the laser beam are unacceptable. Our KT310 spatial filter system is ideal for producing a clean Gaussian beam.


The input Gaussian beam has spatially varying intensity "noise". When a beam is focused by an aspheric lens, the input beam is transformed into a central Gaussian spot (on the optical axis) and side fringes, which represent the unwanted "noise" (see Figure 2 below). The radial position of the side fringes is proportional to the spatial frequency of the "noise".


Figure 2

By centering a pinhole on a central Gaussian spot, the "clean" portion of the beam can pass while the "noise" fringes are blocked (see Figure 3 below).


Figure 3

The diffraction-limited spot size at the $99 \%$ contour is given by:

$$
D=\frac{\lambda f}{r}
$$

where $\lambda=$ wavelength, $f=$ focal length and $r=$ input beam radius at the $1 / \mathrm{e}^{2}$ point.

## Choosing the Correct Optics and Pinhole for Your Spatial Filter System

The correct optics and pinhole for your application depend on the input wavelength, source beam diameter, and desired exit beam diameter.

For example, suppose that you are using a 650 nm diode laser source that has a diameter $\left(1 / \mathrm{e}^{2}\right)$ of 1.2 mm and want your beam exiting the spatial filter system to be about 4.4 mm in diameter. Based on these parameters, the C560TME-B mounted aspheric lens would be an appropriate choice for the input side of spatial filter system because it is designed for use at 650 nm , and its clear
aperture measures 5.1 mm , which is large enough to accommodate the entire diameter of the laser source.

The equation for diffraction limited spot size at the $99 \%$ contour is given above, and for this example, $\lambda=\left(650 \times 10^{-9} \mathrm{~m}\right), f=13.86 \mathrm{~mm}$ for the C560TM-B, and $r=0.6 \mathrm{~mm}$. Substitution yields

$$
D=\frac{\left(650 \times 10^{-9} \mathrm{~m}\right)(13.86 \mathrm{~mm})}{0.6 \mathrm{~mm}} \approx 15 \mu \mathrm{~m}
$$

Diffraction-Limited Spot Size ( 650 nm source, $\varnothing 1.2 \mathrm{~mm}$ beam)

The pinhole should be chosen so that it is approximately $30 \%$ larger than $D$. If the pinhole is too small, the beam will be clipped, but if it is too large, more than the $T E M_{00}$ mode will get through the pinhole. Therefore, for this example, the pinhole should ideally be 19.5 microns. Hence, we would recommend the mounted pinhole P20H, which has a pinhole size of $20 \mu \mathrm{~m}$. Parameters that can be changed to alter the beam waist diameter, and thus the pinhole size required, include changing the input beam diameter and focal length of focusing lens. Decreasing the input beam diameter will increase the beam waist diameter. Using a longer focal length focusing lens will also increase the beam waist diameter.

Finally, we need to choose the optic on the output side of the spatial filter so that the collimated beam's diameter is the desired 4.4 mm . To determine the correct focal length for the lens, consider the following diagram in Figure 4, which is not drawn to scale. From the triangle on the left-hand side, the angle is determined to be approximately $2.48^{\circ}$. Using this same angle for the triangle on the right-hand side, the focal length for the plano-convex lens should be approximately 50 mm .


Figure 4: Beam Expansion Example

For this focal length, we recommend the LA1131-B plano-convex lens [with $f=50 \mathrm{~mm}$ at the design wavelength ( $\lambda=633 \mathrm{~nm}$ ), this is still a good approximation for $f$ at the source wavelength ( $\lambda=$ 650 nm )].

Note: The beam expansion equals the focal length of the output side divided by the focal length of the input side.

C). These lenses are 25 mm in diameter and can be held in place using the supplied SM1RR Retaining Ring.

Hide Assembly

## ASSEMBLY

## Mounting the Pinhole Wheel

The 16-position pinhole wheel can be post mounted using the NDC-PM Post Mount Assembly (included with the PHWM16) by following the assembly steps below. Adapters for both 8-32 and M4 mounting holes are included.

1. Tighten the 4-40 locking setscrew on the side of the NDC-PM assembly using the included 0.05 " ( 1.3 mm ) hex key to lock the shaft in position. Unscrew and remove the rear thumbscrew, then loosen the locking setscrew (Figure 1).
2. Pull the front assembly from the mount (Figure 2).
3. While holding the assembly vertically unscrew the shaft. Remove the top plastic support and place the pinhole wheel with the engraving facing down. Then, secure the pinhole wheel by placing the plastic support in position and screwing the shaft onto the cap screw (Figure 3).
4. Insert the front assembly with pinhole wheel into the mount, lock the locking setscrew, and then screw on the rear thumbscrew (Figure 4).

During installation and use, the guidelines below may be helpful:

- Holding the mount vertically (see the photo below) prevents the components (e.g., washer, spacer, and plastic supports) from falling apart during assembly.
- Use light force when securing the pinhole wheel as overtightening may cause the wheel to crack.
- The wheel may still rotate if moved by hand even if the locking setscrew is fully tightened.


Click to Enlarge
Figure 1: Lock the Mount and Remove the Rear Thumbscrew


Figure 2: Unlock the Mount and Pull the Front Assembly Out of the Mount


Figure 3: Hold Vertically and Secure the Pinhole Wheel


Figure 4: Insert the Front Assembly into the Mount and Screw on the Rear Thumbscrew

Hide Damage Thresholds

## DAMAGE THRESHOLDS

Damage Threshold Data for Thorlabs' Pinholes and Pinhole Wheel
The specifications to the right are measured data for Thorlabs' high-power single pinholes and 16-position pinhole wheel.

| Damage Threshold Specifications |  |
| :--- | :---: |
| Item \# | Damage Threshold |
|  | $5 \times 10^{5} \mathrm{~W} / \mathrm{mm}^{2}, 75 \mathrm{~ns}$ Pulse @ 700 nm <br> P10CH, P25CH, P50CH |
| PHW16, PHWM16 | $1 \times 10^{6} \mathrm{~W} / \mathrm{mm}^{2}, 10 \mathrm{~ns}$ Pulse @ 700 nm |
| $10 \mathrm{~W} / \mathrm{mm}^{2}, \mathrm{CW} @ 10.6 \mu \mathrm{~m}$ |  |

## Laser Induced Damage Threshold Tutorial

The following is a general overview of how laser induced damage thresholds are measured and how the values may be utilized in determining the appropriateness of an optic for a given application. When choosing optics, it is important to understand the Laser Induced Damage Threshold (LIDT) of the optics being used. The LIDT for an optic greatly depends on the type of laser you are using. Continuous wave (CW) lasers typically cause damage from thermal effects (absorption either in the coating or in the substrate). Pulsed lasers, on the other hand, often strip

 free of debris. For more information on cleaning optics, please see our Optics Cleaning tutorial.

## Testing Method

First, a low-power/energy beam is directed to the optic under test. The optic is exposed in 10 locations to this laser beam for 30 seconds (CW) or for a number of pulses (pulse repetition frequency specified). After exposure, the optic is examined by a microscope ( $\sim 100 \mathrm{X}$ magnification) for any visible damage. The number of locations that are damaged at a particular power/energy level is recorded. Next, the power/energy is either increased or decreased and the optic is exposed at 10 new locations. This process is repeated until damage is observed. The damage threshold is then assigned to be the highest power/energy that the optic can withstand without causing damage. A histogram such as that below represents the testing of one BB1-E02 mirror.


The photograph above is a protected aluminumcoated mirror after LIDT testing. In this particular test, it handled $0.43 \mathrm{~J} / \mathrm{cm}^{2}(1064 \mathrm{~nm}, 10 \mathrm{~ns}$ pulse, 10 $\mathrm{Hz}, \varnothing 1.000 \mathrm{~mm}$ ) before damage.
According to the test, the damage threshold of the mirror was $2.00 \mathrm{~J} / \mathrm{cm}^{2}(532 \mathrm{~nm}, 10 \mathrm{~ns}$ pulse, $10 \mathrm{~Hz}, \varnothing 0.803 \mathrm{~mm}$ ). Please keep in mind that these tests are performed on clean optics, as dirt and contamination can significantly lower the damage threshold of a component. While the test results are only representative of one coating run, Thorlabs specifies damage threshold values that account for coating variances.

## Continuous Wave and Long-Pulse Lasers

When an optic is damaged by a continuous wave (CW) laser, it is usually due to the melting of the surface as a result of absorbing the laser's energy or damage to the optical coating (antireflection) [1]. Pulsed lasers with pulse lengths longer than $1 \mu \mathrm{~s}$ can be treated as CW lasers for LIDT discussions.

When pulse lengths are between 1 ns and $1 \mu \mathrm{~s}$, laser-induced damage can occur either because of absorption or a
dielectric breakdown (therefore, a user must check both CW and pulsed LIDT). Absorption is either due to an intrinsic property of the optic or due to surface irregularities; thus LIDT values are only valid for optics meeting or exceeding the surface quality specifications given by a manufacturer. While many optics can handle high power CW lasers, cemented (e.g., achromatic doublets) or highly absorptive (e.g., ND filters) optics tend to have lower CW damage thresholds. These lower thresholds are due to absorption or scattering in the cement or metal coating.

Pulsed lasers with high pulse repetition frequencies (PRF) may behave similarly to CW beams. Unfortunately, this is highly dependent on factors such as absorption and thermal diffusivity, so there is no reliable method for determining when a high PRF laser will damage an optic due to thermal effects. For beams with a high PRF both the average and peak powers must be compared to the equivalent CW power. Additionally, for highly transparent materials, there is little to no drop in the LIDT with increasing PRF.

In order to use the specified CW damage threshold of an optic, it is necessary to know the following:

1. Wavelength of your laser
2. Beam diameter of your beam $\left(1 / \mathrm{e}^{2}\right)$
3. Approximate intensity profile of your beam (e.g., Gaussian)
4. Linear power density of your beam (total power divided by $1 / \mathrm{e}^{2}$ beam diameter)

Thorlabs expresses LIDT for CW lasers as a linear power density measured in W/cm. In this regime, the LIDT given as a linear power density can be applied to any beam diameter; one does not need to compute an adjusted LIDT to adjust for changes in spot size, as demonstrated by the graph to the right. Average linear power density can be calculated using the equation below.


LIDT in linear power density vs. pulse length and spot size. For long pulses to CW, linear power density becomes a constant with spot size. This graph was obtained from [1].

## Linear Power Density $=\frac{\text { Power }}{\text { Beam Diameter }}$

The calculation above assumes a uniform beam intensity profile. You must now consider hotspots in the beam or other non-uniform intensity profiles and roughly calculate a maximum power density. For reference, a Gaussian beam typically has a maximum power density that is twice that of the uniform beam (see lower right).

Now compare the maximum power density to that which is specified as the LIDT for the optic. If the optic was tested at a wavelength other than your operating wavelength, the damage threshold must be scaled appropriately. A good rule of thumb is that the damage
 threshold has a linear relationship with wavelength such that as you move to shorter wavelengths, the damage threshold decreases (i.e., a LIDT of $10 \mathrm{~W} / \mathrm{cm}$ at 1310 nm scales to $5 \mathrm{~W} / \mathrm{cm}$ at 655 nm ):

## Adjusted LIDT $=$ LIDT Power $\left(\frac{\text { Your Wavelength }}{\text { LIDT Wavelength }}\right)$

While this rule of thumb provides a general trend, it is not a quantitative analysis of LIDT vs wavelength. In CW applications, for instance, damage scales more strongly with absorption in the coating and substrate, which does not necessarily scale well with wavelength. While the above procedure provides a good rule of thumb for LIDT values, please contact Tech Support if your wavelength is different from the specified LIDT wavelength. If your power density is less than the adjusted LIDT of the optic, then the optic should work for your application.

Please note that we have a buffer built in between the specified damage thresholds online and the tests which we have done, which accommodates variation between batches. Upon request, we can provide individual test information and a testing certificate. The damage analysis will be carried out on a similar optic (customer's optic will not be damaged). Testing may result in additional costs or lead times. Contact Tech Support for more information.

## Pulsed Lasers

As previously stated, pulsed lasers typically induce a different type of damage to the optic than CW lasers. Pulsed lasers often do not heat the optic enough to damage it; instead, pulsed lasers produce strong electric fields capable of inducing dielectric breakdown in the material. Unfortunately, it can be very difficult to compare the LIDT specification of an optic to your laser. There are multiple regimes in which a pulsed laser can damage an optic and this is based on the laser's pulse length. The highlighted columns in the table below outline the relevant pulse lengths for our specified LIDT values.
 over as the predominate damage mechanism [2]. In contrast, pulses between $10^{-7} \mathrm{~s}$ and $10^{-4} \mathrm{~s}$ may cause damage to an optic either because of dielectric breakdown or thermal effects. This means that both CW and pulsed damage thresholds must be compared to the laser beam to determine whether the optic is suitable for your application.

| Pulse Duration | $\mathrm{t}<10^{-9} \mathrm{~s}$ | $10^{-9}<\mathrm{t}<10^{-7} \mathrm{~s}$ | $10^{-7}<\mathrm{t}<10^{-4} \mathrm{~s}$ | $\mathrm{t}>10^{-4} \mathrm{~s}$ |
| :--- | :---: | :---: | :---: | :---: |
| Damage Mechanism | Avalanche lonization | Dielectric Breakdown | Dielectric Breakdown or Thermal | Thermal |
| Relevant Damage <br> Specification | No Comparison (See Above) | Pulsed | Pulsed and CW | CW |

When comparing an LIDT specified for a pulsed laser to your laser, it is essential to know the following:

1. Wavelength of your laser
2. Energy density of your beam (total energy divided by $1 / \mathrm{e}^{2}$ area)
3. Pulse length of your laser
4. Pulse repetition frequency (prf) of your laser
5. Beam diameter of your laser ( $1 / \mathrm{e}^{2}$ )
6. Approximate intensity profile of your beam (e.g., Gaussian)

The energy density of your beam should be calculated in terms of $\mathrm{J} / \mathrm{cm}^{2}$. The graph to the right shows why expressing the LIDT as an energy density provides the best metric for short pulse sources. In this regime, the LIDT given as an energy density can be applied to any beam diameter; one does not need to compute an adjusted LIDT to adjust for changes in spot size. This calculation assumes a uniform beam intensity profile. You must now adjust this energy density to account for hotspots or other nonuniform intensity profiles and roughly calculate a maximum energy density. For reference a
Gaussian beam typically has a maximum energy density that is twice that of the $1 / \mathrm{e}^{2}$ beam.

Now compare the maximum energy density to that which is specified as the LIDT for the optic. If the optic was tested at a wavelength other than your operating wavelength, the damage threshold must be scaled appropriately [3]. A good rule of thumb is that the damage threshold has an inverse square root relationship with wavelength such that as you move to shorter wavelengths, the damage threshold decreases (i.e., a LIDT of $1 \mathrm{~J} / \mathrm{cm}^{2}$ at 1064 nm scales to $0.7 \mathrm{~J} / \mathrm{cm}^{2}$ at 532 nm ):

## Adjusted LIDT $=$ LIDT Energy $\sqrt{\frac{\text { Your Wavelength }}{\text { LIDT Wavelength }}}$

You now have a wavelength-adjusted energy density, which you will use in the following step.

Beam diameter is also important to know when comparing damage thresholds. While the LIDT, when expressed in units of $\mathrm{J} / \mathrm{cm}^{2}$, scales independently of spot size; large beam sizes are more likely to illuminate a larger number of defects which can lead to greater variances in the LIDT [4]. For data presented here, a <1 mm beam size was used to measure the LIDT. For beams sizes greater than 5 mm , the LIDT $(\mathrm{J} / \mathrm{cm} 2)$ will not scale independently of beam diameter due to the larger size beam exposing more defects.

The pulse length must now be compensated for. The longer the pulse duration, the more energy the optic can handle. For pulse widths between $1-100$ ns, an approximation is as follows:

## Adjusted LIDT $=$ LIDT Energy $\sqrt{\frac{\text { Your Pulse Length }}{\text { LIDT Pulse Length }}}$

Use this formula to calculate the Adjusted LIDT for an optic based on your pulse length. If your maximum energy density is less than this adjusted LIDT maximum energy density, then the optic should be suitable for your application. Keep in mind that this calculation is only used for pulses between $10^{-9} \mathrm{~s}$ and $10^{-7} \mathrm{~s}$. For pulses between $10^{-7} \mathrm{~s}$ and $10^{-4} \mathrm{~s}$, the CW LIDT must also be checked before deeming the optic appropriate for your application.

Please note that we have a buffer built in between the specified damage thresholds online and the tests which we have done, which accommodates variation between batches. Upon request, we can provide individual test information and a testing certificate. Contact Tech Support for more information.
[1] R. M. Wood, Optics and Laser Tech. 29, 517 (1998).
[2] Roger M. Wood, Laser-Induced Damage of Optical Materials (Institute of Physics Publishing, Philadelphia, PA, 2003).
[3] C. W. Carr et al., Phys. Rev. Lett. 91, 127402 (2003).
[4] N. Bloembergen, Appl. Opt. 12, 661 (1973).

## LIDT CALCULATIONS

In order to illustrate the process of determining whether a given laser system will damage an optic, a number of example calculations of laser induced
damage threshold are given below. For assistance with performing similar calculations, we provide a spreadsheet calculator that can be downloaded by
clicking the button to the right. To use the calculator, enter the specified LIDT value of the optic under consideration and the relevant parameters of your
laser system in the green boxes. The spreadsheet will then calculate a linear power density for CW and pulsed systems, as well as an energy density value for pulsed systems. These values are

 reduce LIDT in some spectral regions. These LIDT values are not valid for ultrashort pulses less than one nanosecond in duration.

## CW Laser Example

Suppose that a CW laser system at 1319 nm produces a 0.5 W Gaussian beam that has a $1 / \mathrm{e}^{2}$ diameter of 10 mm . A naive calculation of the average linear power density of this beam would yield a value of $0.5 \mathrm{~W} / \mathrm{cm}$, given by the total power divided by the beam diameter:

$$
\text { Linear Power Density }=\frac{\text { Power }}{\text { Beam Diameter }}
$$

However, the maximum power density of a Gaussian beam is about twice the maximum power density of a uniform beam, as shown in the graph to the right. Therefore, a more accurate determination of the maximum linear power density of the system is $1 \mathrm{~W} / \mathrm{cm}$.


A Gaussian beam profile has about twice the maximum intensity of a uniform beam profile.

An AC127-030-C achromatic doublet lens has a specified CW LIDT of $350 \mathrm{~W} / \mathrm{cm}$, as tested at 1550 nm . CW damage threshold values typically scale directly with the wavelength of the laser source, so this yields an adjusted LIDT value:

## Adjusted LIDT $=$ LIDT Power $\left(\frac{\text { Your Wavelength }}{\text { LIDT Wavelength }}\right)$

The adjusted LIDT value of $350 \mathrm{~W} / \mathrm{cm} \times(1319 \mathrm{~nm} / 1550 \mathrm{~nm})=298 \mathrm{~W} / \mathrm{cm}$ is significantly higher than the calculated maximum linear power density of the laser system, so it would be safe to use this doublet lens for this application.

Pulsed Nanosecond Laser Example: Scaling for Different Pulse Durations
 beam diameter $\left(1 / \mathrm{e}^{2}\right)$. The average energy density of each pulse is found by dividing the pulse energy by the beam area:

$$
\text { Energy Density }=\frac{\text { Pulse Energy }}{\text { Beam Area }}
$$

As described above, the maximum energy density of a Gaussian beam is about twice the average energy density. So, the maximum energy density of this beam is $\sim 0.7 \mathrm{~J} / \mathrm{cm}^{2}$.

The energy density of the beam can be compared to the LIDT values of $1 \mathrm{~J} / \mathrm{cm}^{2}$ and $3.5 \mathrm{~J} / \mathrm{cm}^{2}$ for a BB1-E01 broadband dielectric mirror and an NB1-K08 Nd:YAG laser line mirror, respectively. Both of these LIDT values, while measured at 355 nm , were determined with a 10 ns pulsed laser at 10 Hz . Therefore, an adjustment must be applied for the shorter pulse duration of the system under consideration. As described on the previous tab, LIDT values in the nanosecond pulse regime scale with the square root of the laser pulse duration:

$$
\text { Adjusted LIDT }=\text { LIDT Energy } \sqrt{\frac{\text { Your Pulse Length }}{\text { LIDT Pulse Length }}}
$$

This adjustment factor results in LIDT values of $0.45 \mathrm{~J} / \mathrm{cm}^{2}$ for the BB1-E01 broadband mirror and $1.6 \mathrm{~J} / \mathrm{cm}^{2}$ for the Nd:YAG laser line mirror, which are to be compared with the
$0.7 \mathrm{~J} / \mathrm{cm}^{2}$ maximum energy density of the beam. While the broadband mirror would likely be damaged by the laser, the more specialized laser line mirror is appropriate for use with this system.

Pulsed Nanosecond Laser Example: Scaling for Different Wavelengths

 10 ns pulses at 355 nm , while the damage threshold of the similar NE10A absorptive filter is $10 \mathrm{~J} / \mathrm{cm}^{2}$ for 10 ns pulses at 532 nm . As described on the previous tab, the LIDT value of an optic scales with the square root of the wavelength in the nanosecond pulse regime:

$$
\text { Adjusted LIDT }=\text { LIDT Energy } \sqrt{\frac{\text { Your Wavelength }}{\text { LIDT Wavelength }}}
$$

This scaling gives adjusted LIDT values of $0.08 \mathrm{~J} / \mathrm{cm}^{2}$ for the reflective filter and $14 \mathrm{~J} / \mathrm{cm}^{2}$ for the absorptive filter. In this case, the absorptive filter is the best choice in order to avoid optical damage.

## Pulsed Microsecond Laser Example

Consider a laser system that produces $1 \mu$ s pulses, each containing $150 \mu \mathrm{~J}$ of energy at a repetition rate of 50 kHz , resulting in a relatively high duty cycle of $5 \%$. This system falls somewhere
 must be compared to the properties of the laser system to ensure safe operation.

If this relatively long-pulse laser emits a Gaussian 12.7 mm diameter beam ( $1 / \mathrm{e}^{2}$ ) at 980 nm , then the resulting output has a linear power density of $5.9 \mathrm{~W} / \mathrm{cm}$ and an energy density of $1.2 \times 10^{-}$
 at 810 nm . As before, the CW LIDT of the optic scales linearly with the laser wavelength, resulting in an adjusted CW value of $6 \mathrm{~W} / \mathrm{cm}$ at 980 nm . On the other hand, the pulsed LIDT scales with
 greater than the energy density of the laser pulse, so individual pulses will not damage the wave plate. However, the large average linear power density of the laser system may cause thermal damage to the optic, much like a high-power CW beam.

## LAB FACTS

## Comparison of Circularization Techniques for Elliptical Beams

Edge-emitting laser diodes emit elliptical beams as a consequence of the rectangular cross sections of their emission apertures. The component of the beam corresponding to the narrower dimension of the aperture has a greater divergence angle than the orthogonal beam component. As one component diverges more rapidly than the other, the beam shape is elliptical rather than circular.

Elliptical beam shapes can be undesirable, as the spot size of the focused beam is larger than if the beam were circular, and larger spot sizes have lower irradiances (power per area). Several different techniques can be used to circularize an elliptical beam, and we experimented with and compared the performance of three methods based on a pair of cylindrical lenses, an anamorphic prism pair, and a spatial filter. The characteristics of the circularized beams were
evaluated by performing $\mathrm{M}^{2}$ measurements, wavefront measurements, and measuring the transmitted power.

While we demonstrated that each circularization technique improves the circularity of the elliptical input beam, we showed that each technique provides a different balance of circularization, beam quality, and transmitted power. Our results, which are documented in this Lab Fact, indicate that an application's specific requirements will determine which
is the best circularization technique to choose

## Experimental Design and Setup

The experimental setup is shown in the picture at the top-right. The elliptically-shaped, collimated beam of a temperature-stabilized 670 nm laser diode was input to each of our circularization systems. Collimation results in a low-divergence beam, but it does not affect the beam shape.

The beam circularization systems, shown to the right, were placed, one at a time, in the vacant spot in the setup highlighted by the yellow rectangle. With this arrangement, it was possible to use the same experimental conditions when evaluating each circularization technique, which allowed the performance of each to be directly compared with the others. Some information describing selection and configuration procedures for several components used in this experimental work can be accessed by clicking the following hyperlinks:

- Mounting Laser Diodes
- Driving a Laser Diode
- Selecting a Collimating Lens
- Aspheric Lenses
- Spatial Filters
 of the experimental setup, all of these systems are shown on the right side of the table for illustrative purposes; they were used one at a time. The power meter was used to determine how much
the beam circularization system attenuated the intensity of the input laser beam. The wavefront sensor provided a way to measure the abberations of the output beam. The $\mathrm{M}^{2}$ system measurement describes the resemblence of the output beam to a Gaussian beam. Ideally, the circularization systems would not attenuate or abberate the laser beam, and they would output a perfectly Gaussian beam.

Edge-emitting laser diodes also emit astigmatic beams, and it can be desirable to force the displaced focal points of the orthogonal beam components to overlap. Of the three circularization techniques investigated in this work, only the cylindrical lens pair can also compensate for astigmatism. The displacement between the focal spots of the orthogonal beam components were
 normalized quantity.

## Experimental Results

The experimental results are summarized in the following table, in which the green cells identify the best result in each category. Each circularization approach has its benefits. The best circularization technique for an application is determined by the system's requirements for beam quality, transmitted optical power, and setup constraints.

Spatial filtering significantly improved the circularity and quality of the beam, but the beam had low transmitted power. The cylindrical lens pair provided a well-circularized beam and balanced circularization and beam quality with transmitted power. In addition, the cylindrical lens pair compensated for much of the beam's astigmatism. The circularity of the beam provided by the anamorphic prism pair compared well to that of the cylindrical lens pair. The beam output from the prisms had better $\mathrm{M}^{2}$ values and less wavefront error than the cylindrical lenses, but the transmitted power was lower.

| Method | Beam Intensity Profile | Circularity ${ }^{\text {a }}$ | $M^{2}$ Values | RMS Wavefront | Transmitted Power | Normalized <br> Astigmatism ${ }^{\text {b }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Collimated Source Output (No Circularization Technique) | Click to Enlarge Scale in Microns | 0.36 | $\begin{aligned} & \text { X Axis: } 1.28 \\ & \text { Y Axis: } 1.63 \end{aligned}$ | 0.17 | Not Applicable | 0.67 |
| Cylindrical Lens Pair | Click to Enlarge Scale in Microns | 0.84 | $\begin{aligned} & \text { X Axis: } 1.90 \\ & \text { Y Axis: } 1.93 \end{aligned}$ | 0.30 | 91\% | 0.06 |


| Method | Beam Intensity Profile | Circularity ${ }^{\text {a }}$ | M ${ }^{2}$ Values | RMS Wavefront | Transmitted Power | Normalized <br> Astigmatism ${ }^{\text {b }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Anamorphic Prism Pair | Click to Enlarge Scale in Microns | 0.82 | $\begin{aligned} & \text { X Axis: } 1.60 \\ & \text { Y Axis: } 1.46 \end{aligned}$ | 0.16 | 80\% | 1.25 |
| Spatial Filter |  <br> Click to Enlarge Scale in Microns | 0.93 | X Axis: 1.05 <br> Y Axis: 1.10 | 0.10 | 34\% | 0.36 |

- Circularity $=\mathrm{d}_{\text {minor }} / \mathrm{d}_{\text {major }}$, where $\mathrm{d}_{\text {minor }}$ and $\mathrm{d}_{\text {major }}$ are minor and major diameters of fitted ellipse ( $1 / \mathrm{e}$ intensity) and Circularity $=1$ indicates a perfectly circular beam.
- Normalized astigmatism is the difference in the waist positions of the two orthogonal components of the beam, divided by the Raleigh length of the beam component with the smaller waist

Components used in each circularization system were chosen to allow the same experimental setup be used for all experiments. This had the desired effect of allowing the results of al circularization techniques to be directly compared; however, optimizing the setup for a circularization technique could have improved its performance. The mounts used for the collimating lens and
 pair to be more precisely positioned with respect to one another. In addition, using made-to-order cylindrical lenses with customized focal lengths may have improved the results of the cylindrica lens pair circularization system. All results may have been affected by the use of the beam profiler software algorithm to determine the beam radii used in the circularity calculation.

Hide Precision Pinholes

## Precision Pinholes

- Pinhole Diameters from $1 \mu \mathrm{~m}$ to 1 mm
- Pinhole Fabricated from Stainless Steel
- Anodized Aluminum or Black Oxide Stainless Steel Housing with 1" Outer Diameter

These mounted precision pinholes are available with pinhole diameters from $1 \mu \mathrm{~m}$ to 1 mm . Each housing is engraved with the pinhole diameter, and the pinholes can be taken out of their housing by removing the retaining ring using a small tweezer or plier; use care as the pinhole is very thin.

Pinholes with diameters from $5 \mu \mathrm{~m}$ to 1 mm are made of $12.7 \mu \mathrm{~m}$ thick stainless steel with a black oxide coating. Each is mounted in a $\varnothing 1 ", 0.10 "(2.5 \mathrm{~mm})$ thick stainless steel disk also coated in black oxide.

Pinholes with diameters of $1 \mu \mathrm{~m}$ and $2 \mu \mathrm{~m}$ are made of $50.8 \mu \mathrm{~m}$ thick, stainless steel plates with a black oxide coating. They are mounted in a $\varnothing 1$ ", 0.10 " ( 2.5 mm ) thick anodized aluminum disk that is engraved with the Item \# and pinhole diameter. These $1 \mu \mathrm{~m}$ and $2 \mu \mathrm{~m}$ pinholes come with individual quailty inspections images captured using a scanning electron microscope (SEM).

| Item \# | Pinhole Diameter | Diameter Tolerance | Circularity | Pinhole Material | Housing Material |
| :---: | :---: | :---: | :---: | :---: | :---: |
| P1H | $1 \mu \mathrm{~m}$ | $+0.25 /-0.10 \mu \mathrm{~m}$ | $\geq 85 \%$ | Stainless Steel, $50.8 \mu \mathrm{~m}$ (0.002") Thick, Black Oxide Coating | Aluminum, Black Anodized |
| P2H | $2 \mu \mathrm{~m}$ | $\pm 0.25 \mu \mathrm{~m}$ |  |  |  |
| P5H | $5 \mu \mathrm{~m}$ |  | - | Stainless Steel, $12.7 \mu \mathrm{~m}$ ( $0.0005{ }^{\prime \prime}$ ) Thick, Black Oxide Coating | Stainless Steel, Black Oxide Coating |
| P10H | $10 \mu \mathrm{~m}$ | $\pm \mu$ |  |  |  |
| P15H | $15 \mu \mathrm{~m}$ | $\pm 1.5 \mu \mathrm{~m}$ |  |  |  |
| P20H | $20 \mu \mathrm{~m}$ |  |  |  |  |
| P25H | $25 \mu \mathrm{~m}$ | $\pm 2 \mu \mathrm{~m}$ |  |  |  |
| P30H | $30 \mu \mathrm{~m}$ |  |  |  |  |
| P40H | $40 \mu \mathrm{~m}$ |  |  |  |  |
| P50H | $50 \mu \mathrm{~m}$ | $\pm 3 \mu \mathrm{~m}$ |  |  |  |
| P75H | $75 \mu \mathrm{~m}$ |  |  |  |  |
| P100H | $100 \mu \mathrm{~m}$ | $\pm 4 \mu \mathrm{~m}$ |  |  |  |
| P150H | $150 \mu \mathrm{~m}$ |  |  |  |  |
| P200H | $200 \mu \mathrm{~m}$ | $\pm 6 \mu \mathrm{~m}$ |  |  |  |
| P300H | $300 \mu \mathrm{~m}$ | $\pm 8 \mu \mathrm{~m}$ |  |  |  |
| P400H | $400 \mu \mathrm{~m}$ | $\pm 10 \mu \mathrm{~m}$ |  |  |  |
| P500H | $500 \mu \mathrm{~m}$ |  |  |  |  |
| P600H | $600 \mu \mathrm{~m}$ |  |  |  |  |
| P700H | $700 \mu \mathrm{~m}$ |  |  |  |  |
| P800H | $800 \mu \mathrm{~m}$ |  |  |  |  |
| P900H | $900 \mu \mathrm{~m}$ |  |  |  |  |
| P 1000 H | $1000 \mu \mathrm{~m}$ |  |  |  |  |

## Please

Note: With
the exception
of the P1H
and P 2 H ,
information.

| Part Number | Description | Price | Availability |
| :---: | :---: | :---: | :---: |
| P1H | Ø1" Mounted Precision Pinhole, $1+0.25 /-0.10 \mu \mathrm{~m}$ Pinhole Diameter | \$125.00 | Today |
| P2H | Ø1" Mounted Precision Pinhole, $2 \pm 0.25 \boldsymbol{\mu m}$ Pinhole Diameter | \$125.00 | Today |
| P5H | Ø1" Mounted Precision Pinhole, $5 \pm 1 \mu \mathrm{~m}$ Pinhole Diameter | \$74.50 | Lead Time |
| P10H | Ø1" Mounted Precision Pinhole, $10 \pm 1 \mu \mathrm{~m}$ Pinhole Diameter | \$74.50 | Lead Time |
| P15H | Ø1" Mounted Precision Pinhole, $15 \pm 1.5 \boldsymbol{\mu m}$ Pinhole Diameter | \$74.50 | Lead Time |
| P20H | Ø1" Mounted Precision Pinhole, $20 \pm 2 \mu \mathrm{~m}$ Pinhole Diameter | \$67.50 | Lead Time |
| P25H | Ø1" Mounted Precision Pinhole, $25 \pm 2 \boldsymbol{\mu m}$ Pinhole Diameter | \$67.50 | Lead Time |
| P30H | Ø1" Mounted Precision Pinhole, $30 \pm 2 \mu \mathrm{~m}$ Pinhole Diameter | \$67.50 | Lead Time |
| P40H | Ø1" Mounted Precision Pinhole, $40 \pm 3 \mu \mathrm{~m}$ Pinhole Diameter | \$67.50 | Lead Time |
| P50H | Ø1" Mounted Precision Pinhole, $50 \pm 3 \mu \mathrm{~m}$ Pinhole Diameter | \$67.50 | Lead Time |
| P75H | Ø1" Mounted Precision Pinhole, $75 \pm 3 \mu \mathrm{~m}$ Pinhole Diameter | \$67.50 | Lead Time |
| P100H | $\varnothing 1 "$ Mounted Precision Pinhole, $100 \pm 4 \mu \mathrm{~m}$ Pinhole Diameter | \$67.50 | Lead Time |
| P150H | Ø1" Mounted Precision Pinhole, $150 \pm 6 \mu \mathrm{~m}$ Pinhole Diameter | \$67.50 | Lead Time |
| P200H | $\boldsymbol{\varnothing 1 " ~ M o u n t e d ~ P r e c i s i o n ~ P i n h o l e , ~} 200 \pm 6 \mu \mathrm{~m}$ Pinhole Diameter | \$67.50 | Lead Time |
| P300H | Ø1" Mounted Precision Pinhole, $300 \pm 8 \mu \mathrm{~m}$ Pinhole Diameter | \$67.50 | Lead Time |
| P400H | Ø1" Mounted Precision Pinhole, $400 \pm 10 \mu \mathrm{~m}$ Pinhole Diameter | \$67.50 | Lead Time |
| P500H | Ø1" Mounted Precision Pinhole, $500 \pm 10 \mu \mathrm{~m}$ Pinhole Diameter | \$67.50 | Lead Time |
| P600H | Ø1" Mounted Precision Pinhole, $600 \pm 10 \mu \mathrm{~m}$ Pinhole Diameter | \$67.50 | Lead Time |
| P700H | Ø1" Mounted Precision Pinhole, $700 \pm 10 \mu \mathrm{~m}$ Pinhole Diameter | \$67.50 | Lead Time |
| P800H | $\varnothing 1 "$ Mounted Precision Pinhole, $800 \pm 10 \mu \mathrm{~m}$ Pinhole Diameter | \$67.50 | Lead Time |
| P900H | $\varnothing 1$ " Mounted Precision Pinhole, $900 \pm 10 \mu \mathrm{~m}$ Pinhole Diameter | \$67.50 | Lead Time |
| P1000H | $\varnothing 1$ " Mounted Precision Pinhole, $1000 \pm 10 \mu \mathrm{~m}$ Pinhole Diameter | \$67.50 | Lead Time |

Hide High-Power Precision Pinholes
High-Power Precision Pinholes

- Precision Copper Pinholes:
- Gold-Plated One Side
- Flat Poly Black (98\% Emissivity) on the Reverse Side
- $25 \mu \mathrm{~m}$ Thickness at Aperture
- Black Stainless Steel Housing with 1" Outer Diameter
- High Damage Threshold:
- $5 \times 10^{5} \mathrm{~W} / \mathrm{mm}^{2}, 75 \mathrm{~ns}$ Pulse @ 700 nm
- $1 \times 10^{6} \mathrm{~W} / \mathrm{mm}^{2}, 10 \mathrm{~ns}$ Pulse @ 700 nm
- $10 \mathrm{~W} / \mathrm{mm}^{2}$, CW @ $10.6 \mu \mathrm{~m}$


Click to Enlarge Gold Surface of HighPower
Mounted Pinhole

| Item \# | Pinhole Diameter | Diameter Tolerance | Pinhole Thickness | Housing Material |
| :---: | :---: | :---: | :---: | :---: |
| P10CH | $10 \mu \mathrm{~m}$ | $\pm 1 \mu \mathrm{~m}$ | $\begin{gathered} 25 \mu \mathrm{~m} \\ \left(0.001^{\prime \prime}\right) \end{gathered}$ | Black Stainless Steel |
| P25CH | $25 \mu \mathrm{~m}$ | $\pm 2 \mu \mathrm{~m}$ |  |  |
| P50CH | $50 \mu \mathrm{~m}$ | $\pm 3 \mu \mathrm{~m}$ |  |  |

These high-power precision pinholes are designed to withstand high power densities and
should be used with the beam incident on the gold-plated side. We recommend aligning the pinhole at low power, increasing the laser to full power after ensuring good throughput.
 ring using a small tweezer or plier; use care as the pinhole is very thin.

Note: We are
having quality
issues with
these
pinholes that
is evidenced
by corrosion
of the outer
pinhole
circumference
after a period
of time.
Although we
are rapidly
working
through a
testing and validation process to
ensure we
have a stable,
high-quality manufacturing
process, we anticipate
that the lead
time on
future order
requests will
be at least 8
weeks. Please
contact
Tech
Supportfor
more
information.

| Part Number | Description | Price | Availability |
| :---: | :---: | :---: | :---: |
| P10CH | Ø1" Mounted High-Power Precision Pinhole, $10 \pm 1 \mu \mathrm{~m}$ Pinhole Diameter | \$122.00 | Lead Time |
| P25CH | Ø1" Mounted High-Power Precision Pinhole, $25 \pm 2 \mu \mathrm{~m}$ Pinhole Diameter | \$122.00 | Lead Time |
| P50CH | Ø1" Mounted High-Power Precision Pinhole, $50 \pm 3 \mu \mathrm{~m}$ Pinhole Diameter | \$122.00 | Lead Time |

Hide Pinhole Wheels (16 Pinholes)
Pinhole Wheels (16 Pinholes)

- Wheels with 16 Lithographically-Etched Pinholes (Transparent Glass)
- Pinhole Sizes from $\varnothing 25 \mu \mathrm{~m}$ to $\varnothing 2 \mathrm{~mm}$
- $\varnothing 2.00$ " ( $\varnothing 50.8 \mathrm{~mm}$ ), $0.02^{\prime \prime}(0.5 \mathrm{~mm})$ Thick Chrome-Plated Fused Silica Substrate
- Available Unmounted or with NDC-PM for Mounting (See the Assembly Tab for Mounting Instructions)
- AR Coated for 350-700 nm on Both Sides, $\mathrm{R}_{\text {avg }}<0.5 \%$

These pinhole wheels are chrome-plated fused silica disks with 16 lithographically etched pinholes ranging from $\varnothing 25 \mu \mathrm{~m}$ to $\varnothing 2 \mathrm{~mm}$. The radially positioned pinholes enable a user to test multiple pinhole sizes within their experiment and requires only minor alignment after each rotation. Two versions are available; the unmounted wheel itself (Item \# PWH16) and a version that includes an assembly for post mounting (Item \# PHWM16). Additionally, Thorlabs offers a motorized pinhole wheel (Item \# MPH16) designed for confocal microscopy systems.

The Ø2.00" ( $\varnothing 50.8 \mathrm{~mm}), 0.02$ " $(0.5 \mathrm{~mm})$ thick disks are manufactured using photolithography; therefore, the pinholes are formed from the transparent substrate material where the chrome plating has been chemically etched away. Both sides of the wheel are AR coated


Click to Enlarge [APPLIST] [APPLIST]
PHWM16 Post Mounted
to PY005 5-Axis Translation
Stage for Alignment
 table below and the diagram above to the right for pinhole sizes and positions.

 required and instructions for mounting the pinhole wheel to a NDC-PM are provided in the Assembly tab.

| Position ${ }^{\text {a }}$ | Pinhole Size | Position | Pinhole Size | Position | Pinhole Size |
| :---: | :---: | :---: | :---: | :---: | :---: |
| A | Ø100 $\mu \mathrm{m}$ with $\varnothing 50 \mu \mathrm{~m}$ Obstruction | G | $\varnothing 50 \mu \mathrm{~m}$ | M | $\varnothing 125 \mu \mathrm{~m}$ |
| B | $\varnothing 25 \mu \mathrm{~m}$ | H | $\varnothing 60 \mu \mathrm{~m}$ | N | $\varnothing 200 \mu \mathrm{~m}$ |
| C | $\varnothing 30 \mu \mathrm{~m}$ | 1 | $\varnothing 70 \mu \mathrm{~m}$ | 0 | $\varnothing 300 \mu \mathrm{~m}$ |
| D | $\varnothing 35 \mu \mathrm{~m}$ | J | $\varnothing 80 \mu \mathrm{~m}$ | P | $\varnothing 1000 \mu \mathrm{~m}$ |
| E | $\varnothing 40 \mu \mathrm{~m}$ | K | $\varnothing 90 \mu \mathrm{~m}$ | Q | $\varnothing 2000 \mu \mathrm{~m}$ |
| F | $\varnothing 45 \mu \mathrm{~m}$ | L | $\varnothing 100 \mu \mathrm{~m}$ | - | - |


| Part Number | Description | Price | Availability |
| :---: | :---: | :---: | :---: |
| PHW16 | 16-Position Pinhole Wheel, Ø25 $\boldsymbol{\mathrm { m }}$ to Ø $\mathbf{~} \mathbf{~ m m}$, Unmounted | \$416.16 | Today |
| PHWM16 | 16-Position Pinhole Wheel, Ø25 $\mu \mathrm{m}$ to Ø $\mathbf{~} \mathbf{~ m m}$, Mounted | \$468.18 | Today |



